Switch-on delay


The digital signal $x$ must have the value " 1 " without any interruption during the time T before output y changes to " 1 ".


## Switch-off delay



The digital signal $x$ must have the value " 0 " without interruption during the time T before output y changes to " 0 ".


## Delay (switch-on and switch-off)



The digital signal $x$ must have the value "1" without interruption during time $\mathrm{T}_{1}$ or must have the value " 0 " during time $\mathrm{T}_{2}$ before output y changes its signal state.


## PT1 element



Delay element, first order.
pxxxx = time constant

## PT2 low pass

Natural frequency, denominator Damping, denominator


Transfer function
$H(s)=\frac{1}{\left(\frac{s}{2 \pi f n \_n}\right)^{2}+\frac{2 \cdot D_{-} n}{2 \pi f n \_n} \cdot s+1}$

2nd-order filter (bandstop/general filter)


Used as bandstop filter

$$
\begin{array}{ll}
\text { - center frequency fs: } & \begin{array}{l}
\text { fn_z }=f s \\
\text { fn_n }=f s
\end{array} \\
\text { - bandwidth f_B: } & D_{-} z=0 \\
& D_{-} n=\frac{f \_B}{2^{\cdot} \cdot f s}
\end{array}
$$

Transfer function when used as general filter
$H(s)=\frac{\left(\frac{s}{2 \pi f n_{-} z}\right)^{2}+\frac{2 \cdot D_{-} z}{2 \pi f n_{-} z} \cdot s+1}{\left(\frac{s}{2 \pi f n_{-} n}\right)^{2}+\frac{2 \cdot D_{-} n}{2 \pi f n \_n} \cdot s+1}$

## Analog adder can be activated



The following applies to $\mathrm{I}=0$ signal: $\mathrm{y}=\mathrm{x}_{1}$

